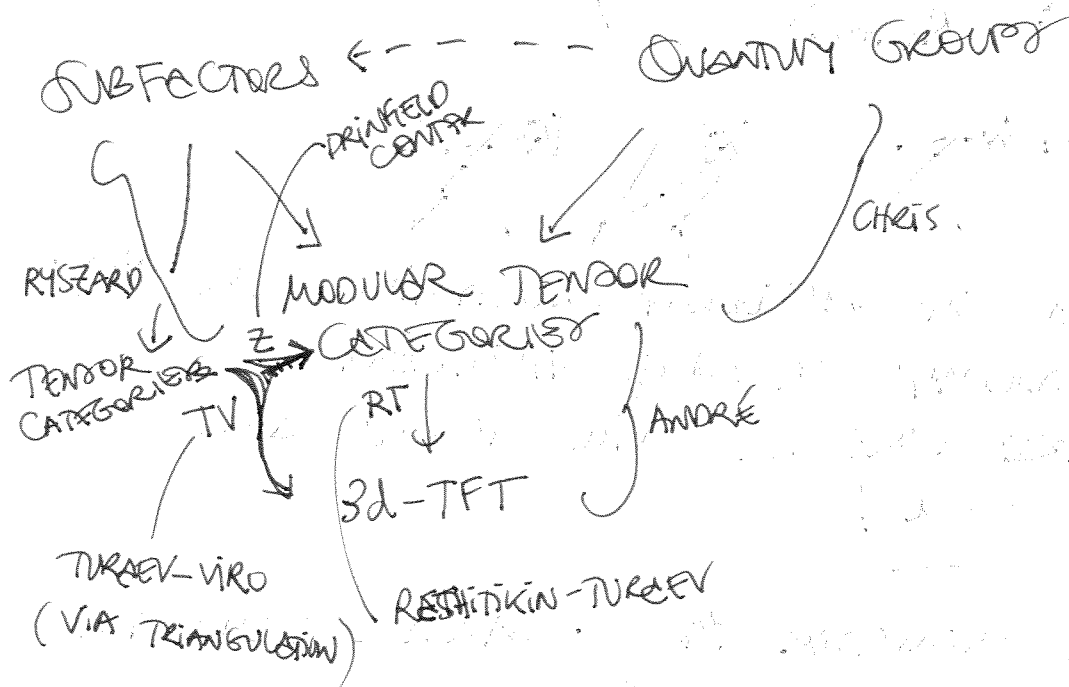


CHRIS 6

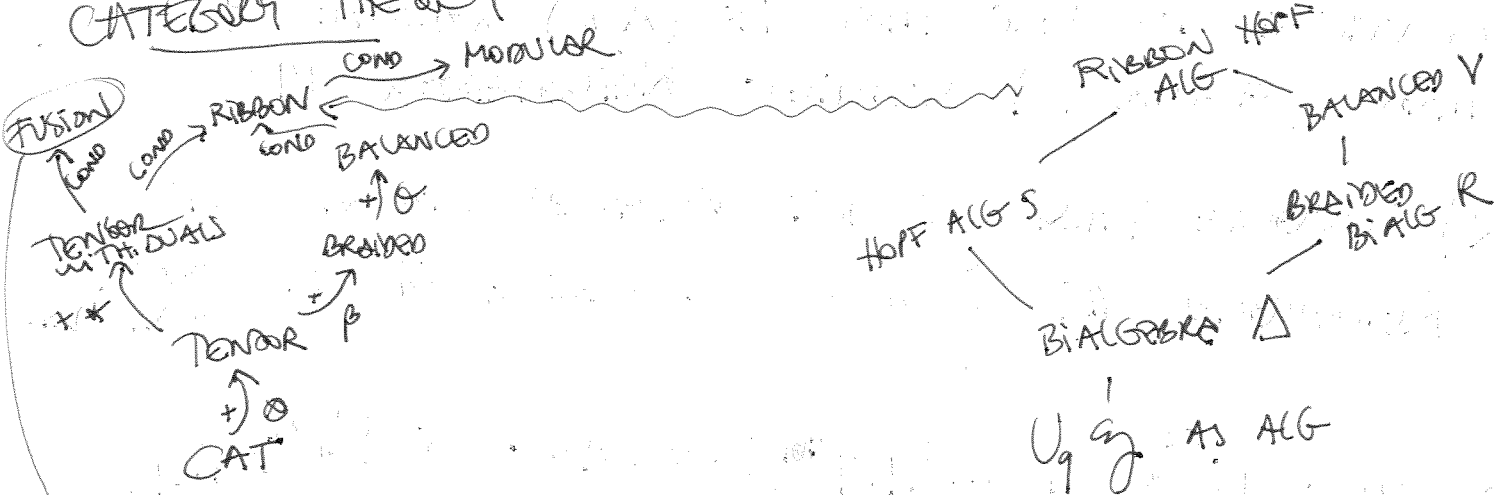
BIG PICTURE



Slightly smaller picture:

CATEGORY THEORY

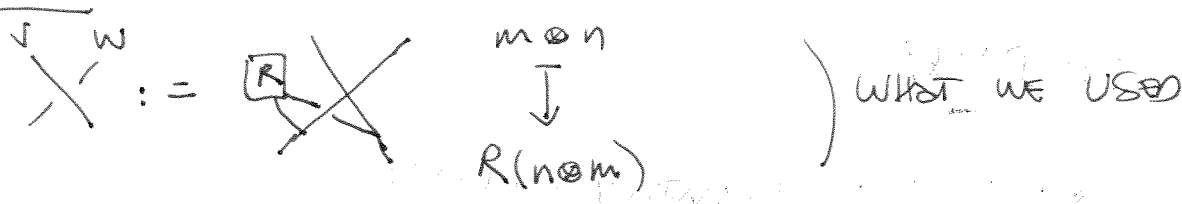
ALG



semi-simple WITH
FINITELY MANY
SIMPLES

YESTERDAY...

WARNING: WANT TO DEFINE A BRAIDING IN $A\text{-Mod}$



DIFFERENT AUTHORS USE DIFFERENT CONVENTIONS FOR "R" AND EVEN IF YESTERDAY'S LECTURE, DIFFERENT CONVENTIONS WERE USED... WILL SHOW ALL CONVENTIONS AT ONCE!

EXERCISE: 1) THE QUANTUM YANG-BAXTER EQUATION



CONVINCE YOURSELF THAT IF (A, R) SATISFIES Y-B, THEN $(A\text{-Mod}, \beta)$ SATISFIES REIDENESTER III.

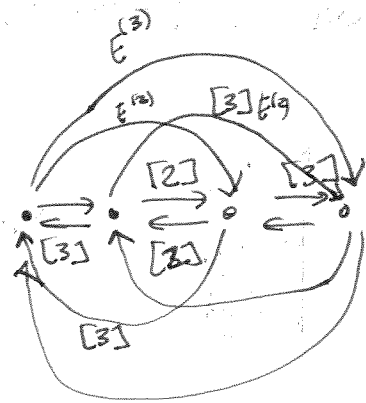
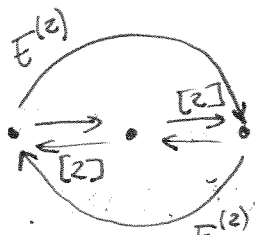
2) OBSERVE THAT IN ANY BRAIDED TENSOR CAT, REIDENESTER III IS A CONSEQUENCE OF HEXAGON AXIOMS.

RECALL: $U_q^{\text{res}} \mathfrak{g} = \mathbb{Z}[q, q^{-1}]$ -SUBALG. OF $U_q \mathfrak{g} / \mathbb{C}(q)$
 GENERATED BY $\left\{ \frac{E_i^k}{[k]!}, \frac{F_i^k}{[k]!}, K_i^{\pm 1} \right\}$
 $E_i^{(k)}$ $F_i^{(k)}$

REPRESENTATIONS FOR RESTRICTED QUANTUM GPS (15)

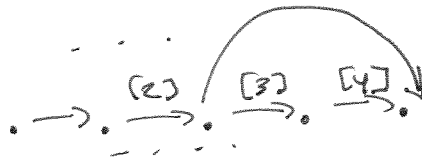
WEYL MODULE:

integral



"[4]"

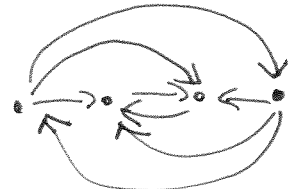
$$\begin{bmatrix} [4] \\ [2] \end{bmatrix} = [3] \begin{bmatrix} q^2 + q^{-2} \\ [2] \end{bmatrix} E^{(2)}$$



$q^6 = 1$

SPECIALIZE ($q^{2l} = 1$)
 $[l] = 0$

eg $q^4 = 1$

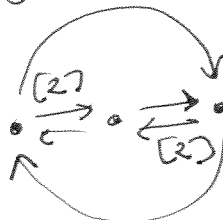


DUAL WEYL

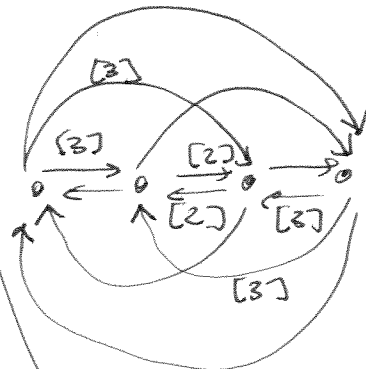
INTEGRAL:



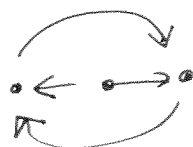
BT A NON-TRIVIAL COMPUTATION



$q^4 = 1$



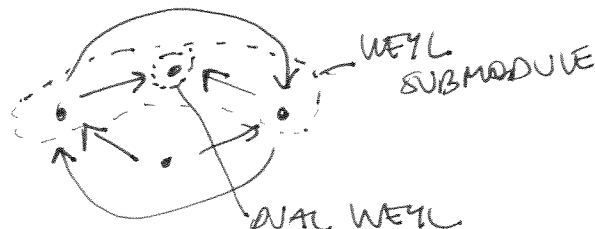
SPECIALIZED:



NOT ISOMORPHIC!

TILTING MODULE (= WITH WEYL SUB AND DUAL WEYL INTEGRATION)

$q^4 = 1$



EXERCISE: CHECK $W_3^* = W_3$ AS $U^{\text{res}}\text{-Mod}$ AT $q^4 = 1$.

Want $A\text{-Mod}$ to be a ribbon category.



STRUCTURE ON A TO GET A
DEFINITION ON $A\text{-Mod}$?

[Faint handwritten notes and diagrams, including mathematical symbols like \otimes , \oplus , and \cong , and some illegible text.]